# Motion Synthesis By Example A Tutorial in 3 and 3/2 parts

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# Motion Synthesis By Example Blending

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#### **Motions Between examples**



#### Blending is useful for: Transitions

#### • Blend to avoid bad artifacts





# $q(t) = \alpha q_1 + (1 - \alpha)q_2$

#### Blending is useful for: Adjustments / Edits





### Motion Warp Motion Displacement Map





#### Blending is useful for: Parametric Families

- Motions in-between examples
- Control by blend weights  $\downarrow$  $q(t) = \sum w_i q_i(t)$



#### Need Similar Poses



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#### No semantics – just numbers

# Blending requires similar motions

• Must be similar over entire clip



# Align similar frames

- Find matching frames
- Create timewarp
- Make motions similar



# **Dynamic Timewarping**



### Blending requires similar motions



**Different Timing** 



**Different Constraints** 



#### **Different Curvature**

# Why It Is Hard to Find Motions

<u>Motions can be different lengths.</u>

reach middle reach high

- **Complicated distance metrics**  $D(F, F') = \min_{\theta, x_0, z_0} \sum_{i} \|p_i - T(\theta, x_0, z_0)p'_i\|^2$
- Logically similar  $\neq$  numerically similar.





# Similar?



# Search Strategy

# Find "close" matches and use as new queries.



One search may involve many queries. Precompute potential matches for interactivity.

#### **Computing Distance Between Motions**

Distance between corresponding frames (in the best time warp)

- Factors out timing differences
- Allows arbitrary distance metrics for frames



# What amounts to blend?



- Continuous control by blend weights
- Not what we want to control
- Irregular or Large Sample Sets
- Non-linear functions

#### Natural Parameterizations

Blend weights offer poor controls

We need more natural parameters.



#### From Parameters to Blend Weights

It is easy to map blend weights to parameters.

$$f(\mathbf{w}) = g(\underbrace{w_1 \mathbf{M}_1 \oplus \ldots \oplus w_n \mathbf{M}_n}_{\text{blend weights}}) = \mathbf{p}$$

But we want  $w=f^{-1}(p)$  !

This has no closed form solution!

# **Building Parameterizations**

Given samples (p,w), we can approximate f<sup>-1</sup>with knearest neighbor interpolation.

Accuracy: create new blends to get additional



Require "reasonable":

$$\sum\nolimits_i w_i = 1$$

 $-\varepsilon \leq w_i \leq 1 + \varepsilon$ 

#### What amounts to blend?



- Automatically map controls to blend weights
- Sampling + Scattered Data Interpolation