

# **DRAWING TO A CLOSE**

377

**Begin of Lecture 8: First Session** — Requirements Engineering

#### **Domain and Interface Requirements**

FM 2012 Tutorial, Dines Bjørner, Paris, 28 August 2012

# **Tutorial Schedule**

• Lectures 1–2	9:00-9:40 + 9:50-10:30
1 Introduction	Slides 1–35
2 Endurant Entities: Parts	Slides 36–110
• Lectures 3–5 11:00–11:15 -	+ 11:20 - 11:45 + 11:50 - 12:30
3 Endurant Entities: Materials, States	Slides 111–142
4 Perdurant Entities: Actions and Events	Slides 143–174
5 Perdurant Entities: Behaviours	Slides 175–285
Lunch	12:30-14:00
• Lectures 6–7	14:00-14:40 + 14:50-15:30
6 A Calculus: Analysers, Parts and Materials	Slides 286–339
7 A Calculus: Function Signatures and Laws	Slides 340–377
• Lectures 8–9	16:00-16:40 + 16:50-17:30
$\sqrt{8}$ Requirements Domain & I/F Reqs.	Slides 378–424
9 Conclusion: Comparison to Other Work	Slides 428–460
<b>Conclusion:</b> What Have We Achieved	Slides $425-427 + 461-472$

# **12. Requirements Engineering**

12.

- We shall present a terse overview of
  - whow one can "derive" essential fragments of requirements prescriptions
  - $\circledast from \ a \ \text{domain} \ \text{description}.$
- First we give,
  - $\otimes$  in the next section,
  - $\otimes$  a summary of the net domain, N,
  - $\otimes$  as developed in earlier sections.

# 12.1. The Transport Domain — a Resumé 12.1.1. Nets, Hubs and Links

130. From a transport net one can observe sets of hubs and links.

# type 130. N, HS, Hs = H-set, H, LS, Ls = L-set, L 131. HI, LI 15. $L\Sigma = HI$ -set, $H\Sigma = (LI \times LI)$ -set 16. $L\Omega = L\Sigma$ -set, $H\Omega = H\Sigma$ -set value 130. $obs\_HS: N \rightarrow HS, obs\_LS: N \rightarrow LS$ 130. $obs\_Hs: N \rightarrow H$ -set, $obs\_Ls: N \rightarrow L$ -set 15. $attr\_L\Sigma: L \rightarrow L\Sigma, attr\_H\Sigma: H \rightarrow H\Sigma$

16.  $\operatorname{attr}_L\Omega: L \to L\Omega, \operatorname{attr}_H\Omega: H \to H\Omega$ 

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# 12.1.2. **Mereology**

- 131. From hubs and links one can observe their unique hub, respectively link identifiers and their respective mereologies.
- 132. The mereology of a link identifies exactly two distinct hubs.
- 133. The mereologies of hubs and links must identify actual links and hubs of the net.

#### value

- 131. uid\_H:  $H \rightarrow HI$ , uid\_L:  $L \rightarrow LI$
- 131. mereo\_H: H  $\rightarrow$  LI-set, mereo\_L: L  $\rightarrow$  HI-set

#### axiom

- 132.  $\forall$  l:L·card mereo\_L(l)=2
- 133.  $\forall n:N,l:L\cdot l \in obs\_Ls(n) \Rightarrow$
- 133.  $\land \forall$  hi:HI·hi  $\in$  mereo\_L(l)
- 133.  $\Rightarrow \exists h:h\cdot h \in obs_Hs(n) \land uid_H(h) = hi$
- 133.  $\land \forall h: H \cdot h \in obs_Hs(n) \Rightarrow$
- 133.  $\forall$  li:LI·li  $\in$  mereo\_H(h)
- 133.  $\Rightarrow \exists l:L\cdot l \in obs\_Ls(n) \land uid\_L(l)=li$

# 12.2. A Requirements "Derivation"12.2.1. Definition of Requirements

# **IEEE** Definition of 'Requirements'

• By a requirements we understand (cf. IEEE Standard 610.12 [ieee-610.12]):

### 12.2.2. The Machine = Hardware + Software

• By 'the **machine**' we shall understand the

**« software** to be developed and

for the domain application.

# 12.2.3. Requirements Prescription

- The core part of the requirements engineering of a computing application is the **requirements prescription**.
  - A requirements prescription tells us which parts of the domain are to be supported by 'the machine'.
  - $\otimes$  A requirements is to satisfy some goals.

  - $\otimes$  Instead we derive the requirements from the domain descriptions and then argue
    - (incl. prove) that the goals satisfy the requirements.
  - In this colloquium we shall not show the latter but shall show the former.

#### A Precursor for Requirements Engineering

### **12.2.4.** Some Requirements Principles

# The "Golden Rule" of Requirements Engineering

- Prescribe only such requirements
  - ∞ that can be objectively shown to hold
  - $\otimes$  for the designed software.

# An "Ideal Rule" of Requirements Engineering

- When prescribing (including formalising) requirements,
  - « also formulate tests (theorems, properties for model checking)
  - $\otimes$  whose actualisation should show adherence to the requirements.
- We shall not show adherence to the above rules.

#### 12.2.5. A Decomposition of Requirements Prescription

- We consider three forms of requirements prescription:
  - $\circledast$  the domain requirements,
  - $\circledast$  the interface requirements and
  - $\circledast the \mbox{ machine requirements}.$
- Recall that the machine is the hardware and software (to be required).
  - **© Domain requirements** are those whose technical terms are from the domain only.
  - **Solution Machine requirements** are those whose technical terms are from the machine only.

#### 12.2.6. An Aside on Our Example

- We shall continue our "ongoing" example.
- Our requirements is for a tollway system.
- By a requirements goal we mean
  - *∞* an objective
  - $\otimes$  the system under consideration
  - *∞* should achieve

[LamsweerdeIEEE2001].

- The **goal**s of having a tollway system are:

  - to decrease traffic accidents and fatalities
     while moving on the tollway net
     as compared to comparable movements on the general net.

- The tollway net, however, must be paid for by its users.
  - « Therefore tollway net entries and exits occur at tollway plazas
  - $\otimes$  with these plazas containing entry and exit toll collectors
  - where tickets can be issued, respectively collected and travel paid for.
- We shall very briefly touch upon these toll collectors, in the Extension part (as from Slide 405) below.
- So all the other parts of the next section serve to build up to the **Extension** section.

# **12.3. Domain Requirements**

- $\bullet$  Domain requirements cover all those aspects of the domain
  - « parts and materials,
  - $\otimes$  actions,
  - $\otimes$  events and
  - $\otimes$  behaviours —
- which are to be supported by 'the machine'.

- Thus domain requirements are developed by systematically "revising" cum "editing" the domain description:
  - « which parts are to be **projected:** left in or out;
  - which general descriptions are to be instantiated into more specific ones;
  - which non-deterministic properties
     are to be made more determinate; and
  - which parts are to be extended with such computable domain description parts which are not feasible without IT.

- Thus
  - $\otimes$  projection,
  - $\otimes$  instantiation,
  - $\otimes$  determination and
  - $\otimes$  extension

are the basic engineering tasks of domain requirements engineering.

- An example may best illustrate what is at stake.
- $\bullet$  The example is that of a tollway system
  - $\otimes$  in contrast to the general nets covered by description Items 130–133
  - « (Slides 380–381).
  - ∞ See Fig. 4 on the next page.

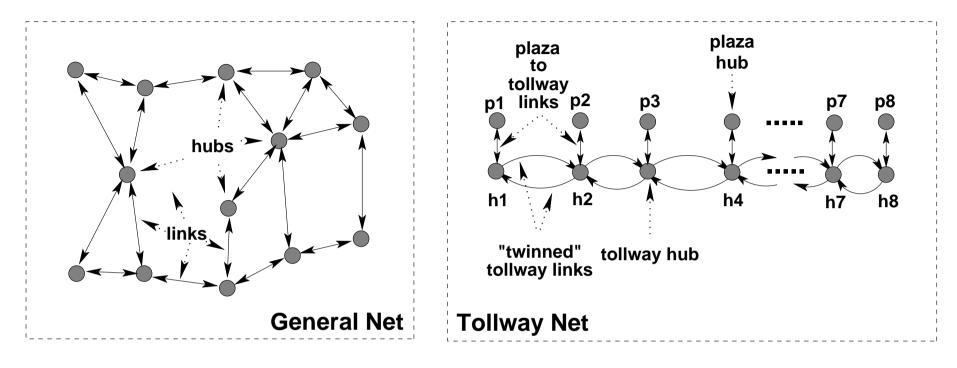


Figure 4: General and Tollway Nets

# **12.3.1. Projection**

We keep what is needed to prescribe the tollway system and leave out the rest.

- 134. We keep the description, narrative and formalisation,
  (a) nets, hubs, links,
  (b) hub and link identifiers,
  (c) hub and link states,
  135. as well as related observer functions.
  134(a). N, H, L
  134(b). HI, LI
  134(c). HΣ, LΣ
  value
  135. obs\_Hs,obs\_Ls,obs\_HI,obs\_LI,
  135. obs\_Hls,obs\_Lls,obs\_HΣ,obs\_L Σ
  - We omit bringing the composite part concepts
  - $\bullet~{\rm of}$  HS, LS, Hs and Ls
  - into the requirements.

12.3.2. Instantiation

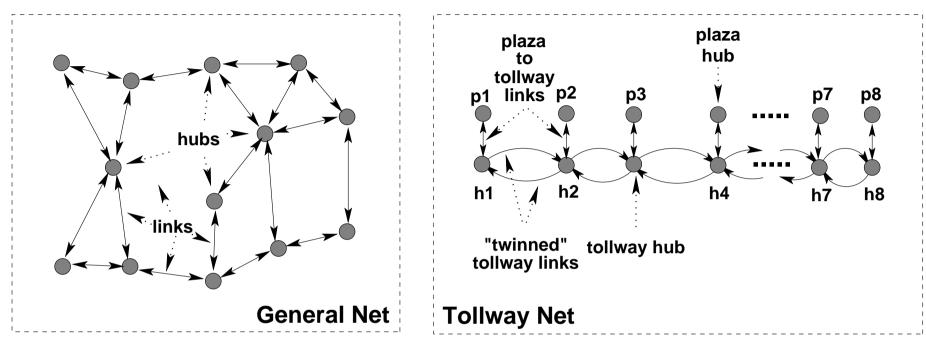


Figure 5: General and Tollway Nets

- From the general net model of earlier formalisations we instantiate, that is, make more concrete, the tollway net model now described.
- 136. The net is now concretely modelled as a pair of sequences.
- 137. One sequence models the plaza hubs, their plaza-to-tollway link and the connected tollway hub.
- 138. The other sequence models the pairs of "twinned" tollway links.
- 139. From plaza hubs one can observe their hubs and the identifiers of these hubs.
- 140. The former sequence is of m such plaza "complexes" where  $m \ge 2$ ; the latter sequence is of m 1 "twinned" links.
- 141. From a tollway net one can abstract a proper net.
- 142. One can show that the posited abstraction function yields well-formed nets, i.e., nets which satisfy previously stated axioms.

#### type

- 136. TWN = PC\*  $\times$  TL\* 137. PC = PH  $\times$  L  $\times$  H 138. TL = L  $\times$  L value 137. obs\_H: PH  $\rightarrow$  H, obs\_HI: PH  $\rightarrow$  HI axiom 140.  $\forall$  (pcl,tll):TWN  $\cdot$ 140.  $2 \leq \text{len pcl} \wedge \text{len pcl} = \text{len tll} + 1$ value
- 141.  $abs_N: TWN \rightarrow N$
- 141.  $abs_N(pcl,tll)$  as n
- 141. pre: wf\_TWN(pcl,tll)

```
      141.
      post:

      141.
      obs_Hs(n) =

      141.
      \{h,h'|(h,\_,h'):PC

      141.
      \cdot(h,\_,h')\in elems pcl\}

      141.
      \wedge obs\_Ls(n) =

      141.
      \{l|(\_,l,\_):PC

      141.
      \{l|(\_,l,\_):PC

      141.
      \{l|(\_,l,\_):PC

      141.
      \{l,l'|(l,l'):TL\cdot(l,l')\in elems tll\}
```

```
theorem:

142. \forall twn:TWN · wf_TWN(twn)

142. \Rightarrow wf_N(abs_N(twn))
```

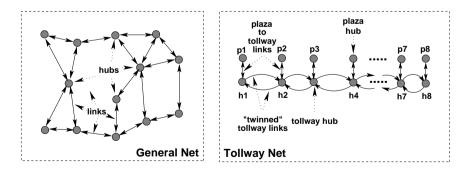


Figure 6: General and tollway Nets

#### 12.3.2.1 Model Well-formedness wrt. Instantiation

- Instantiation restricts general nets to tollway nets.
- Well-formedness deals with proper mereology: that observed identifier references are proper.
- The well-formedness of instantiation of the tollway system model can be defined as follows:
- 143. The *i*'plaza complex,  $(p_i, l_i, h_i)$ , is instantiation-well-formed if
  - (a) link  $l_i$  identifies hubs  $p_i$  and  $h_i$ , and
  - (b) hub  $p_i$  and hub  $h_i$  both identifies link  $l_i$ ; and if
- 144. the *i*'th pair of twinned links,  $tl_i, tl'_i$ ,
  - (a) has these links identify the tollway hubs of the *i*'th and *i*+1'st plaza complexes  $((p_i, l_i, h_i)$  respectively  $(p_{i+1}, l_{i+1}, h_{i_1}))$ .

#### value

```
Instantiation_wf_TWN: TWN \rightarrow Bool
 Instantiation_wf_TWN(pcl,tll) \equiv
143. \forall i:Nat \cdot i \in inds pcl\Rightarrow
143. let (pi,li,hi)=pcl(i) in
143(a). obs_Lls(li) = {obs_Hl(pi), obs_Hl(hi)}
143(b). \land obs_Ll(li)\in obs_Lls(pi)\cap obs_Lls(hi)
144. \wedge let (li', li'') = tll(i) in
144. i < len pcl \Rightarrow
144. let (pi', li'', hi') = pcl(i+1) in
               obs_Hls(li) = obs_Hls(li')
144(a).
               = {obs_HI(hi), obs_HI(hi')}
144(a).
   end end end
```

# 12.3.3. **Determination**

- Determination, in this example, fixes states of hubs and links.
- The state sets contain only one set.
  - « Twinned tollway links allow traffic only in opposite directions.
  - « Plaza to tollway hubs allow traffic in both directions.
  - $\otimes$  tollway hubs allow traffic to flow freely from
    - $\infty$ plaza to tollway links
    - $\infty$  and from incoming tollway links
    - ∞ to outgoing tollway links
    - $\infty$  and tollway to plaza links.
- The determination-well-formedness of the tollway system model can be defined as follows<sup>29</sup>:

<sup>29</sup>*i* ranges over the length of the sequences of twinned tollway links, that is, one less than the length of the sequences of plaza complexes. This "discrepancy" is reflected in out having to basically repeat formalisation of both Items 146(a) and 146(b).

#### 12.3.3.1 Model Well-formedness wrt. Determination

- We need define well-formedness wrt. determination.
- Please study Fig. 7.

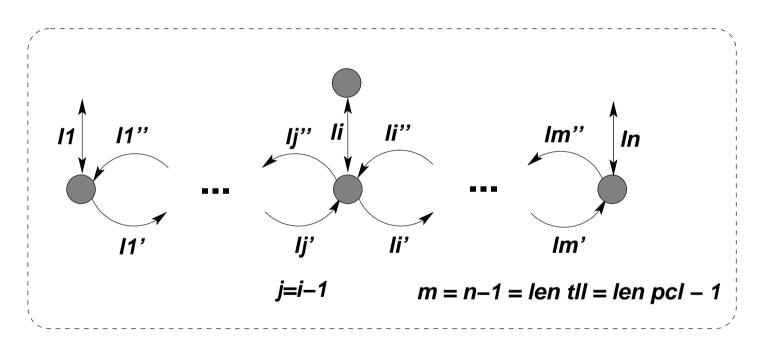


Figure 7: Hubs and Links

- 145. All hub and link state spaces contain just one hub, respectively link state.
- 146. The *i*'th plaza complex,  $pcl(i):(p_i, l_i, h_i)$  is determination-well-formed if
  - (a)  $l_i$  is open for traffic in both directions and
  - (b)  $p_i$  allows traffic from  $h_i$  to "revert"; and if
- 147. the *i*'th pair of twinned links (li', li'') (in the context of the *i*+1st plaza complex, pcl(i+1): $(p_{i+1}, l_{i+1}, h_{i+1})$ ) are determination-well-formed if
  - (a) link  $l'_i$  is open only from  $h_i$  to  $h_{i+1}$  and
  - (b) link  $l''_i$  is open only from  $h_{i+1}$  to  $h_i$ ; and if
- 148. the *j*th tollway hub,  $h_j$  (for  $1 \le j \le \text{len pcl}$ ) is determination-well-formed if, depending on whether *j* is the first, or the last, or any "in-between" plaza complex positions,
  - (a) [the first:] hub i = 1 allows traffic in from  $l_1$  and  $l''_1$ , and onto  $l_1$  and  $l'_1$ .
  - (b) [the last:] hub j = i + 1 = len pcl allows traffic in from  $l_{\text{len tll}}$  and  $l'_{\text{len tll}-1}$ , and onto  $l_{\text{len tll}} \text{ and } l'_{\text{len tll}-1}$ .
  - (c) [in-between:] hub j = i allows traffic in from  $l_i$ ,  $l''_i$  and  $l'_i$  and onto  $l_i$ ,  $l'_{i-1}$  and  $l''_i$ .

value

146. Determination\_wf\_TWN: TWN  $\rightarrow$  Bool 146. Determination\_wf\_TWN(pcl,tll)  $\equiv$  $\forall$  i:Nat• i  $\in$  inds tll  $\Rightarrow$ 146. 146. let (pi, li, hi) = pcl(i), (npi,nli,nhi) = pcl(i+1), in146 (li',li'') = tll(i) in 146.  $obs_H\Omega(pi) = {obs_H\Sigma(pi)} \land obs_H\Omega(hi) = {obs_H\Sigma(hi)}$ 145. 145.  $\land obs_L\Omega(li) = \{obs_L\Sigma(li)\} \land obs_L\Omega(li') = \{obs_L\Sigma(li')\}$ 145.  $\land \text{obs}\_L\Omega(\text{li}'')=\{\text{obs}\_L\Sigma(\text{li}'')\}$  $\wedge \text{ obs}_{L\Sigma}(\text{li})$ 146(a). 146(a).  $= \{(obs_HI(pi), obs_HI(hi)), (obs_HI(hi), obs_HI(pi))\}$ 146(a).  $\land \mathsf{obs}_{\mathsf{L}}\Sigma(\mathsf{nli})$ = {(obs\_HI(npi),obs\_HI(nhi)),(obs\_HI(nhi),obs\_HI(npi))} 146(a).  $\land \{(obs_LI(Ii), obs_LI(Ii))\} \subset obs_H\Sigma(pi)$ 146(b).  $\land \{(obs_Ll(nli), obs_Ll(nli))\} \subseteq obs_H\Sigma(npi)$ 146(b). 147(a).  $\land obs_L\Sigma(li') = \{(obs_Hl(hi), obs_Hl(nhi))\}$  $\land obs_L\Sigma(li'') = \{(obs_Hl(nhi), obs_Hl(hi))\}$ 147(b). 148.  $\wedge$  case i+1 of 148(a).  $2 \rightarrow \text{obs}_H\Sigma(h_1) =$ {(obs\_ $L\Sigma(I_1)$ ,obs\_ $L\Sigma(I_1)$ ), (obs\_ $L\Sigma(I_1)$ ,obs\_ $L\Sigma(I_1'')$ ), 148(a).  $(obs_L\Sigma(l''_1), obs_L\Sigma(l_1)), (obs_L\Sigma(l''_1), obs_L\Sigma(l'_1)) \}$ 148(a). len pcl  $\rightarrow$  obs\_H $\Sigma$ (h\_i+1)= 148(b). 148(b). {(obs\_L $\Sigma$ (l\_len pcl),obs\_L $\Sigma$ (l\_len pcl)),  $(obs_L\Sigma(I_en pcI), obs_L\Sigma(I'_en tII)),$ 148(b).  $(obs_L\Sigma(I''_len tll), obs_L\Sigma(I_len pcl)),$ 148(b). 148(b).  $(obs_L\Sigma(I''_len tll), obs_L\Sigma(I'_len tll))$ },  $\rightarrow \mathsf{obs}_H\Sigma(\mathsf{h}_i) =$ 148(c). {(obs\_L $\Sigma$ (l\_i),obs\_L $\Sigma$ (l\_i)), (obs\_L $\Sigma$ (l\_i),obs\_L $\Sigma$ (l'\_i)), 148(c).  $(obs_L\Sigma(I_i), obs_L\Sigma(I''_i-1)), (obs_L\Sigma(I''_i), obs_L\Sigma(I'_i)),$ 148(c).  $(obs_L\Sigma(I''_i), obs_L\Sigma(I'_i-1)), (obs_L\Sigma(I''_i), obs_L\Sigma(I'_i))$ 148(c). 146. end end

### 12.3.4. **Extension**

• By **domain extension** we understand the

- introduction of domain entities, actions, events and behaviours that were not feasible in the original domain,

  but for which, with computing and communication,

  there is the possibility of feasible implementations,

  and such that what is introduced become part of the
  - emerging domain requirements prescription.

# **12.3.4.1** Narrative

- The **domain extension** is that of the controlled access of vehicles to and departure from the tollway net:

  - $\otimes$  the new entities of toll gates with all their machinery;
  - $\otimes$  the user/machine functions:
    - ∞ upon entry:
      - \* driver pressing entry button,
    - \* tollgate delivering ticket;• upon exit:

- \* driver presenting ticket,
- \* tollgate requesting payment,
- \* driver providing payment, etc.

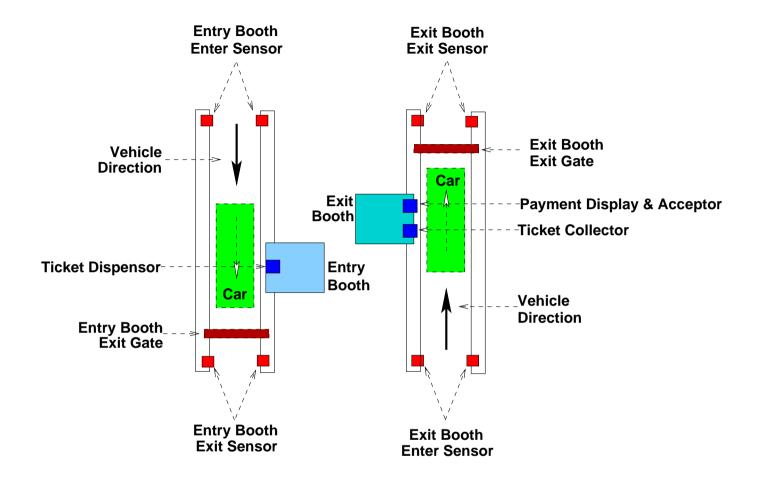


Figure 8: Entry and Exit Tollbooths

- One added (extended) domain requirements:
  - $\otimes$  as vehicles are allowed to cruise the entire net
  - $\otimes$  payment is a function of the totality of links traversed, possibly multiple times.
- This requires, in our case,
  - $\otimes$  that tickets be made such as to be sensed somewhat remotely,
  - $\otimes$  and that hubs be equipped with sensors which can record
  - $\otimes$  and transmit information about vehicle hub crossings.
    - When exiting, the tollgate machine can then access the exiting vehicles' sequence of hub crossings — based on which a payment fee calculation can be done.)
    - All this to be described in detail including all the things that can go wrong (in the domain) and how drivers and tollgates are expected to react.

- We omit details of narration and formalisation.
  - - ∞ An initial one which relies significantly on the use of RSL/CSP [CARH:Electronic,TheSEBook1wo].
      - It basically models tollbooth and vehicle behaviours.
    - M "derived" one which models temporal properties.
       It is expressed, for example, in the Duration Calculus, DC [zcc+mrh2002].
    - ∞ And finally a timed-automata [AluDil:94,olderogdirks2008] model which "implements" the DC model.

#### 12.4. Interface Requirements Prescription

- A systematic reading of the domain requirements shall
  - $\otimes$  result in an identification of all shared
    - ∞ parts and materials,
    - actions,
    - $\infty$  events and
    - behaviours.
- An entity is said to be a **shared entity** if it is mentioned in both
  - $\circledast$  the domain description and
  - $\otimes$  the requirements prescription.
- That is, if the entity
  - $\otimes$  is present in the domain and
  - $\otimes$  is to be present in the machine.

- Each such shared phenomenon shall then be individually dealt with:
  - **\* part** and **materials sharing** shall lead to interface requirements for **data initialisation and refreshment**;

  - **event sharing** shall lead to interface requirements for how events are communicated between the environment of the machine and the machine.

## 12.4.1. Shared Parts

- As domain parts they repeatedly undergo changes with respect to the values of a great number of attributes and otherwise possess attributes most of which have not been mentioned so far:
  - $\otimes$  length, cadestral information, namings,
  - $\otimes$  wear and tear (where-ever applicable),
  - $\otimes$  last/next scheduled maintenance (where-ever applicable),
  - $\otimes$  state and state space, and
  - $\otimes$  many others.

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- We "split" our interface requirements development into two separate steps:
  - $\otimes$  the development of  $d_{r.net}$ 
    - (the common domain requirements for the shared hubs and links),
  - $\otimes$  and the co-development of  $d_{r.db:i/f}$ 
    - $\infty$  (the common domain requirements for the interface between  $d_{r.net}$  and  $DB_{rel}$  —

413

 $\bullet$  under the assumption of an available relational database system  $DB_{\rm rel}$ 

- When planning the common domain requirements for the net, i.e., the hubs and links,
  - $\otimes$  we enlarge our scope of requirements concerns beyond the two so far treated  $(d_{r.toll}, d_{r.maint.})$
  - $\otimes$  in order to make sure that
    - the shared relational database of nets, their hubs and links, may be useful beyond those requirements.

414

- We then come up with something like
  - whubs and links are to be represented as tuples of relations;
  - « each net will be represented by a pair of relations
    a hubs relation and a links relation;
    each hub and each link may or will be represented by several tuples;
  - $\otimes$  etcetera.
- In this database modelling effort it must be secured that "standard" actions on nets, hubs and links can be supported by the chosen relational database system  $DB_{rel}$ .

# 12.4.1.1 Data Initialisation

- As part of  $d_{r.net}$  one must prescribe data initialisation, that is provision for
  - - one for establishing net, hub or link attributes (names) and
      - their types and,
    - $\infty$  for example, two for the input of hub and link attribute values.
  - $\otimes$  Interaction prompts may be prescribed:
    - ∞ next input,
    - $\infty$  on-line vetting and
    - ∞ display of evolving net, etc.
  - $\otimes$  These and many other aspects may therefore need prescriptions.
- Essentially these prescriptions concretise the insert link action.

# 12.4.1.2 Data Refreshment

• As part of  $d_{r.net}$  one must also prescribe data refreshment:

- - one for updating net, hub or link attributes (names) and their types and,
  - $\infty$  for example, two for the update of hub and link attribute values.
- $\otimes$  Interaction prompts may be prescribed:
  - ∞ next update,
  - $\infty$  on-line vetting and
  - $\infty$  display of revised net, etc.
- $\otimes$  These and many other aspects may therefore need prescriptions.
- These prescriptions concretise remove and insert link actions.

A Precursor for Requirements Engineering

## 12.4.2. Shared Actions

• The main **shared action**s are related to

∞ the entry of a vehicle into the tollway system and∞ the exit of a vehicle from the tollway system.

## **12.4.2.1 Interactive Action Execution**

- As part of  $d_{r.toll}$  we must therefore prescribe
  - $\otimes$  the varieties of successful and less successful sequences
  - « of interactions between vehicles (or their drivers) and the toll gate machines.
- The prescription of the above necessitates determination of a number of external events, see below.
- (Again, this is an area of embedded, real-time safety-critical system prescription.)

## 12.4.3. Shared Events

• The main **shared external events** are related to

∞ the entry of a vehicle into the tollway system,

∞ the crossing of a vehicle through a tollway hub and∞ the exit of a vehicle from the tollway system.

• As part of  $d_{r.toll}$  we must therefore prescribe

 $\otimes$  the varieties of these events,

- $\otimes$  the failure of all appropriate sensors and
- $\otimes$  the failure of related controllers:
  - $\infty$  gate opener and closer (with sensors and actuators),
  - ticket "emitter" and "reader" (with sensors and actuators),etcetera.
- The prescription of the above necessitates extensive fault analysis.

A Precursor for Requirements Engineering

## **12.4.4. Shared Behaviours**

- The main shared behaviours are therefore related to
  & the journey of a vehicle through the tollway system and
  & the functioning of a toll gate machine during "its lifetime".
- Others can be thought of, but are omitted here.
- In consequence of considering, for example, the journey of a vehicle behaviour, we may "add" some further, extended requirements:

« requirements for a vehicle statistics "package";

- ∞ requirements for tracing supposedly "lost" vehicles;
- requirements limiting tollway system access in case of traffic congestion; etcetera.

# 12.5. Machine Requirements

• The machine requirements

make hardly any concrete reference to the domain description;so we omit its treatment altogether.

## 12.6. Discussion of Requirements "Derivation"

## • We have indicated

- $\circledast$  how the domain engineer
- $\otimes$  and the requirements engineer
- $\otimes$  can work together
- $\otimes$  to "derive" significant fragments
- $\circledast of a$  requirements prescription.

- This puts requirements engineering in a new light.
  - « Without a previously existing **domain description**s
  - « the requirements engineer has to do double work:
    - both domain engineering
    - o and requirements engineering
  - « but without the principles of domain description,
    - $\infty$  as laid down in this tutorial
  - « that job would not be so straightforward as we now suggest.

#### A Precursor for Requirements Engineering

# **End of Lecture 8: First Session** — Requirements Engineering

# **Domain and Interface Requirements**

FM 2012 Tutorial, Dines Bjørner, Paris, 28 August 2012



# SHORT BREAK