# Temporal Feature Integration for Music Genre Classification 

Anders Meng*, Peter Ahrendt, Jan Larsen, Senior Member, and Lars Kai Hansen<br>Technical University of Denmark<br>Informatics and Mathematical Modelling (IMM)<br>Richard Petersens Plads, Building 321<br>\{am,pa,jl,lkh\}@imm.dtu.dk<br>Phone: +4545255227 , fax: +4545872599


#### Abstract

Temporal feature integration is the process of combining all the feature vectors in a time window into a single feature vector in order to capture the relevant temporal information in the window. The mean and variance along the temporal dimension are often used for temporal feature integration, but they capture neither the temporal dynamics nor dependencies among the individual feature dimensions. Here, a multivariate autoregressive feature model is proposed to solve this problem for music genre classification. This model gives two different feature sets, the DAR and MAR features which are compared against the baseline mean-variance as well as two other temporal feature integration techniques. Reproducibility in performance ranking of temporal feature integration methods were demonstrated using two data sets with five and eleven music genres, and by using four different classification schemes. The methods were further compared to human performance. The proposed MAR features perform better than the other features at the cost of increased computational complexity.


Index Terms-Temporal feature integration, autoregressive model, music genre classification

## EDICS Category: AUD-CONT Content-Based Music Processing

## I. Introduction

IN recent years, there has been an increasing interest in the research area of Music Information Retrieval (MIR). This is spawned by the new possibilities on the Internet such as on-line music stores like Apple's iTunes and the enhanced capabilities of ordinary computers. The related topic of music genre classification can be defined as computer-assigned genre labelling of sound clips. It has received much attention in its own right, but it is also often used as a good test-bench for music features in related areas where the labels are harder to obtain than the musical genres. An example of this is [1], where rhythm features are assessed in a music genre classification task.
Music genre classification systems normally consist of feature extraction from the digitized music, followed by a classifier that uses features to estimate the genre. In this work we focus on identifying temporal feature integration methods

[^0]which give consistent and good performance over different data sets and choices of classifier.
In several feature extraction models, perceptual characteristics such as the beat [2] or pitch [3] are modelled directly. This has the clear advantage of giving features which can be examined directly without the need of a classifier. However, most of the previous research has concentrated on short-time features e.g. Audio Spectrum Envelope and the Zero-Crossing Rate [4] which are extracted from $20-40 \mathrm{~ms}$ frames of the sound clip. Such features are thought to represent perceptually relevant characteristics such as e.g. music roughness or timbre. They have to be evaluated as part of a full classification system. A sound clip is thus represented by a multivariate time series of these features and different methods exist to combine this information into a single genre label for the whole sound clip. An example is [5], based on a hidden Markov model of the time series of the cepstral coefficient features.
Temporal feature integration is another approach to combine information. It uses a sequence of short-time feature vectors to create a single new feature vector at a larger time scale. It assumes a minimal loss of the important temporal information for music genre classification in the short-time feature extraction stage. Temporal feature integration is a very common technique. Often basic statistic estimates like the mean and variance of the short-time features have been used [6], [7], [3].

Here, a new multivariate autoregressive temporal feature integration model is proposed as an alternative to the meanvariance feature set. The main advantage of the autoregressive model is its ability to model temporal dynamics as well as dependencies among the short-time feature dimensions. In fact, the model is a natural generalization of the mean-variance temporal feature integration model.
The present work provide an extension of our work in [8] at several levels. In [8] each short-time feature dimension was modelled independently, hence, dependencies among the feature dimensions were not modelled. In this work, these are modelled in terms of correlation by applying the multivariate autoregressive model (MAR). Furthermore, in the present work, we give a more detailed explanation of the autoregressive model and its relation to the other investigated temporal feature integration methods. Computational complexity have been included for the different methods and in the
experimental section more classifiers and a data set with larger complexity have been added.
In the experimental section we will compare 3 temporal feature integration methods typically applied in the litterature; the mean-variance (MeanVar), mean-covariance (MeanCov), filter bank coefficients (FC) with the proposed autoregressive models; the diagonal AR (DAR) and multivariate AR (MAR) model. To generalize the result two different data sets consisting of 5 and 11 different genres have been used in the experiments. Both data sets have been evaluated by a group of persons to relate the obtained accuracies by the different automated methods. Furthermore, to ensure a fair comparison of the different temporal feature integration methods, 4 different classifiers have been applied; a linear model (LM), a generalized linear model (GLM), a Gaussian classifier (GC) and a Gaussian mixture model (GMM) classifer.

| Raw <br> Data$\rightarrow$Feature <br> Extraction |
| :--- |$\rightarrow$| Temporal <br> Feature <br> Integration |
| :---: |$\rightarrow$ Classifier $\rightarrow$| Post- |
| :---: |
| processing | $\rightarrow$ Decision

Fig. 1. The full music genre classification system. The flow-chart illustrates the different parts of the system, whereas the names just below the chart are the specific choices that gives the best performing system. The numbers in the bottom part of the figure illustrate the (large) dimensionality reduction that takes place in the system (the number of genres are 11).

Figure 1 illustrates the full music genre classification system that was used for evaluating the temporal feature integration methods.
Section II describes common feature extraction and integration methods, while section III gives a detailed explanation of the proposed multivariate autoregressive feature model. Section IV reports and discusses the results of experiments that compare the newly proposed features with the best of the existing temporal feature integration methods. Finally, section V concludes on the results.

## II. Feature extraction and integration

Several different features have been suggested in music genre classification. The general idea is to process fixed-size time windows of the digitized audio signal with an algorithm which can extract relevant information in the sound clip. The size of the windows gives the time scale of the feature. The features are often thought to represent aspects of the music such as the pitch, instrumentation, harmonicity or rhythm.

The following subsections explain popular feature extraction methods. They are listed on the basis of their time scale. The process of temporal feature integration is explained in detail in the end of the section.

## A. Short-time features

Most of the features that have been proposed in the literature are short-time features, which usually employ frame sizes
of $20-40 \mathrm{~ms}$. They are often based on a transformation to the spectral domain using techniques such as the ShortTime Fourier Transform. The assumption in these spectral representations is (short-time) stationarity of the signal which means that the frame size has to be small.

In [4], we found the so-called Mel-Frequency Cepstral Coefficient (MFCC) to be very successful. Similar findings were observed in [9] and [10]. They were originally developed for speech processing [11]. The details of the MFCC feature extraction are shown in Figure 2. It should be mentioned, however, that other slightly different MFCC feature extraction schemes exist, see e.g. [12].


Fig. 2. Mel frequency Cepstral coefficients feature extraction as described in [13].

According to [14], short-time representations of the full time-frequency domain, such as the MFCC features, can be seen as models of the music timbre.

## B. Medium-time features

Medium-time features are here defined as features, which are extracted on time scales around $1000-2000 \mathrm{~ms}$. [3] uses the term 'Texture window' for this time scale where important aspects of the music "lives" such as note changes and tremolo [15]. Examples of features for this time scale are the Low Short-Time Energy Ratio (LSTER) and High Zero-Crossing Rate Ratio (HZCRR) [16].

## C. Long-time features

Long-time features describe important statistics of e.g. a full song or a larger sound clip. An example is the beat histogram feature [17] which summarize the beat content in a sound clip.

## D. Temporal Feature Integration

Temporal feature integration is the process of combining all the feature vectors in a time window into a single feature vector that captures the temporal information of this window. The new features generated do not necessarily capture any explicit perceptual meaning such as perceptual beat or mood, but captures information which are useful for the subsequent classifier. In [2] the 'beat-spectrum' is used for music retrieval by rhythmic similarity. The beat-spectrum can be derived from short-time features such as the STFT or MFCCs as noted in [2]. This clearly indicates that the evolution of the shorttime features contain important temporal information. Figure 3 shows the first six MFCCs of a ten second excerpt of the music piece "Masters of Revenge" by "Body Count". This example shows a clear repetitive structure in the short-time features. Another important property of temporal feature integration is data reduction. Consider a four minute piece of music represented as short-time features (using the first 6 MFCCs). With a hop- and frame-size of 10 ms and 20 ms , respectively,


Fig. 3. The first six normalized MFCCs of a ten second snippet of "Body Count - Masters of Revenge". The temporal correlations are very clear from this piece of music as well as the cross-correlations among the feature dimensions. This suggests that relevant information is present and could be extracted by selecting a proper temporal feature integration model.
this results in approximately 288 kB of data using a 16 bit representation of the features. The hop-size is defined as the frame-size minus the amount of overlap between frames and specifies the "effective sampling rate" of the features. This is a rather good compression compared to the original size of the music ( 3.84 MB , MPEG1-layer $3 @ 128 \mathrm{~kb} / \mathrm{s}$ ). However, if the relevant information can be summarized more efficiently in less space, this must be preferred.

The idea of temporal feature integration can be expressed more rigorously by observing a sequence of consecutive shorttime features, $\mathbf{x}_{i}$ of dimension $D$, where $i$ represents the $i$ 'th short time feature. These are integrated into a new feature $\mathbf{z}_{k}$ of dimension $M$

$$
\begin{equation*}
\mathbf{z}_{k}=\mathbf{f}\left(\mathbf{x}_{k \cdot H_{s}}, \ldots, \mathbf{x}_{k \cdot H_{s}+W_{s}-1}\right), \tag{1}
\end{equation*}
$$

where $H_{s}$ is the hop-size and $W_{s}$ window-size (both defined in number of samples) and $k=0,1, \ldots$ is the discrete time index of the larger time scale. There exists a lot of different models, here denoted by $\mathbf{f}(\cdot)$, which map a sequence of shorttime features into a new feature vector.

A very simple temporal feature integration method is that of stacking consequtive short-time features, see e.g. [5], [4], into a new feature vector and thereby maintaining information. This method require a robust machine learning algorithm to cope with the often high dimensional feature vectors created, and does not introduce any sort of compression. In the following the MeanVar, MeanCov and Filter bank Coefficients (FC) will be discussed. These methods have been suggested for temporal feature integration in the literature. All of these methods introduce a good level of compression compared to that of stacking. Furthermore, as will become clear these methods have closed form solutions.

1) Gaussian model: A very simple model for temporal feature integration is the so-called MeanVar model which has been used in work related to music genre classification, see e.g. [17], [8]. This model implicitly assumes that consecutive
samples of short-time features are independent and Gaussian distributed and, furthermore, that each feature dimension is independent. Using maximum-likelihood the parameters for this model are estimated as

$$
\begin{align*}
& \mathbf{m}_{k}=\frac{1}{W_{s}} \sum_{n=0}^{W_{s}-1} \mathbf{x}_{k \cdot H_{s}+n} \\
& c_{k, i}=\frac{1}{W_{s}} \sum_{n=0}^{W_{s}-1}\left(x_{k \cdot H_{s}+n, i}-m_{k, i}\right)^{2} \tag{2}
\end{align*}
$$

for $i=1, \ldots, D$, which results in the following feature at the new time scale

$$
\mathbf{z}_{k}=\left[\begin{array}{c}
\mathbf{m}_{k}  \tag{3}\\
\mathbf{c}_{k}
\end{array}\right]
$$

where $\mathbf{z}_{k}$ is of dimension $2 D$ and $\mathbf{m}$ and $\mathbf{c}$ are the estimated mean and variance of the short-time features. As seen in Figure 3 , the assumption that each feature dimension is independent is not correct. A more reasonable temporal feature integration model is the multivariate Gaussian model, denoted in the experimental section as MeanCov, where correlations among features are modelled. This model of the short-time features can be formulated as $\mathrm{x} \sim \mathcal{N}(\mathbf{m}, \mathbf{C})$, where the mean and covariance are calculated over the given window of short-time features. Thus, the diagonal of $\mathbf{C}$ contains the variance features from MeanVar. The mean vector and covariance matrix are stacked into a new feature vector $\mathbf{z}_{k}$ of dimension $\frac{D}{2}(3+D)$

$$
\mathbf{z}_{k}=\left[\begin{array}{c}
\mathbf{m}_{k}  \tag{4}\\
\operatorname{vech}\left(\mathbf{C}_{k}\right)
\end{array}\right],
$$

where vech $(\mathbf{C})$ refers to stacking the upper triangular part of the matrix including the diagonal.
One of the drawbacks of the Gaussian model, whether this is the simple (MeanVar) or the multivariate model (MeanCov), is that temporal dependencies in the data are not modelled.
2) Filter bank coefficients (FC): The filter bank approach considered in [18] aims at capturing some of the dynamics in the sequence of short-time features. They investigated the method in a general audio and music genre classification task. The idea is to extract a summarized power of each feature dimension independently in four specified frequency bands. The temporal feature integration function $\mathbf{f}(\cdot)$ for the filter bank approach can be written compactly as

$$
\begin{equation*}
\mathbf{z}_{k}=\operatorname{vec}\left(\mathbf{P}_{k} \mathbf{W}\right) \tag{5}
\end{equation*}
$$

where $\mathbf{W}$ is a filter matrix of dimension $N \times 4$ and $\mathbf{P}_{k}$ contains the periodograms of each short-time feature and has dimension $D \times N$, where $N=W_{s} / 2$ when $W_{s}$ is even and $N=\left(W_{s}-\right.$ 1) $/ 2$ for odd values.

The four frequency bands in which the periodograms are summarized are specified in the matrix W. In [18] the four filters applied to handle the short-time features are: 1) a DCfilter, 2) $1-2 \mathrm{~Hz}$ modulation energy, 3) $3-15 \mathrm{~Hz}$ modulation energy and 4) $20-43 \mathrm{~Hz}$ perceptual roughness [19].
The advantage of this method is that the temporal structure of the short-time features is taken into account, however, correlations among feature dimensions are not modelled. In order to model these, cross-correlation spectra would be required.

## III. Multivariate Autoregressive Model for TEMPORAL FEATURE INTEGRATION

The simple mean-variance model does not model temporal feature correlations, however, these features have shown to perform remarkably well in various areas of music information retrieval, see e.g. [17], [20]. The dependencies among features could be modelled using the MeanCov model, but still do not model the temporal correlations. The filter bank coefficient (FC) approach includes temporal information in the integrated features, but the correlations among features are neglected.

This section will focus on the multivariate autoregressive model (MAR) for temporal feature integration, since it has the potential of modelling both temporal correlations and dependencies among features.

For simplicity we will first study the diagonal multivariate autoregressive model (DAR). The DAR model assumes independence among feature dimensions similar to the MeanVar and FC feature integration approaches. The full multivariate autoregressive model (MAR) in considered in section III-B.

## A. Diagonal multivariate autoregressive model (DAR)

The DAR model was investigated in [8] where different temporal feature integration methods were tested and showed improved performance compared to the MeanVar and FC approaches, however, the theory behind the model was not fully covered. For completeness we will here present a more detailed description of the model.

Assuming independence among feature dimensions the $P^{\prime}$ th order causal autoregressive model ${ }^{1}$ for each feature dimension can be written as

$$
\begin{equation*}
x_{n}=\sum_{p=1}^{P} a_{p} x_{n-p}+G u_{n} \tag{6}
\end{equation*}
$$

for $n=0, \ldots, W_{s}-1$, where $a_{p}$ for $p=1, \ldots, P$ is the autoregressive coefficients, $u_{n}$ is the noise term, assumed i.i.d. with unit variance and mean value $v . G$ sets the scale of the noise term. Note that the mean value of the noise process $v$ is related to the mean $m$ of the time series by $m=(1-$ $\left.\sum_{p=1}^{P} a_{p}\right)^{-1} v$.

Equation (6) expresses the "output" $x_{n}$ as a linear function of past outputs and present inputs $u_{n}$. There are several methods for estimating the parameters of the autoregressive model, either in the frequency domain [21] or directly in timedomain [22]. The most obvious and well-known method is the ordinary least squares method, where the mean squared error is minimized. Other methods suggested are the generalized (or weighted) least squares where the noise process is allowed to be colored. In our case the noise process is assumed white, therefore the least squares method is applied and described in the following. The prediction of a new sample based on estimated parameters, $a_{p}$, becomes

$$
\begin{equation*}
\tilde{x}_{n}=\sum_{p=1}^{P} a_{p} x_{n-p}, \tag{7}
\end{equation*}
$$

[^1]and the error signal $e_{n}$ measured between $\tilde{x}_{n}$ and $x_{n}$ is
\[

$$
\begin{equation*}
e_{n}=x_{n}-\tilde{x}_{n}=x_{n}-\sum_{p=1}^{P} a_{p} x_{n-p} \tag{8}
\end{equation*}
$$

\]

where $e_{n}$ is known as the residual. Taking the $z$-transformation on both sides of Equation (8), the error can now be written as

$$
\begin{equation*}
E(z)=\left(1-\sum_{p=1}^{P} a_{p} z^{-p}\right) X(z)=A(z) X(z) \tag{9}
\end{equation*}
$$

In the following we will switch to frequency representation $z=e^{j \omega}$ and in functions use $X(\omega)$ for representing $X\left(e^{j \omega}\right)$. Assuming a finite energy signal, $x_{n}$, the total error to be minimized in the ordinary least squares method, $\mathcal{E}_{t o t}$, is then according to Parseval's theorem given by

$$
\begin{equation*}
\mathcal{E}_{t o t}=\sum_{n=0}^{W_{s}-1} e_{n}^{2}=\frac{1}{2 \pi} \int_{-\pi}^{\pi}|E(\omega)|^{2} d \omega \tag{10}
\end{equation*}
$$

To understand why this model is worthwhile to consider, we will now explain the spectral matching capabilities of the model. First, we look at the model from Equation (6) in the $z$-transformed domain, which can now be described as

$$
\begin{equation*}
X(z)=\sum_{p=1}^{P} a_{p} X(z) z^{-p}+G U(z) \tag{11}
\end{equation*}
$$

where $v=0$ is assumed without loss of generalizability. The system transfer function becomes

$$
\begin{equation*}
H(z) \equiv \frac{X(z)}{U(z)}=\frac{G}{1-\sum_{p=1}^{P} a_{p} z^{-p}} \tag{12}
\end{equation*}
$$

and its corresponding model power spectrum

$$
\begin{equation*}
\hat{P}(\omega)=|H(\omega) U(\omega)|^{2}=|H(\omega)|^{2}=\frac{G^{2}}{|A(\omega)|^{2}} \tag{13}
\end{equation*}
$$

Combining the information in equations (9), (10), (13) and the fact that $P(\omega)=|X(\omega)|^{2}$, the total error to be minimized can be written as

$$
\begin{equation*}
\mathcal{E}_{t o t}=\frac{G^{2}}{2 \pi} \int_{-\pi}^{\pi} \frac{P(\omega)}{\hat{P}(\omega)} d \omega . \tag{14}
\end{equation*}
$$

The first observation is that trying to minimize the total error $\mathcal{E}_{t o t}$ is equivalent to minimization of the integrated ratio of the signal spectrum $P(\omega)$ and its estimated spectrum $\hat{P}(\omega)$. Furthermore, at minimum error $\mathcal{E}_{t o t}=G^{2}$ the following relation holds

$$
\begin{equation*}
\frac{1}{2 \pi} \int_{-\pi}^{\pi} \frac{P(\omega)}{\hat{P}(\omega)} d \omega=1 \tag{15}
\end{equation*}
$$

The two equations (14) and (15) result in two major properties, a 'global' and 'local' property [21]:

- The global property states that since the contribution to the total error $\mathcal{E}_{t o t}$ is determined as a ratio of the two spectra, the matching process should perform uniformly over the whole frequency range, irrespective of the shaping of the spectrum. This means that the spectrum match at frequencies with small energy is just as good as frequencies with high energy.


Fig. 4. Power density of the zero-order MFCC of a piano note $A 5$ played for a duration of 1.2 s . The four figures show the periodogram as well as the AR-model power spectrum estimates of orders $3,5,9$ and 31 , respectively. The normalized frequency of $1 / 2$ corresponds to 66.67 Hz .

- The local property deals with the matching of the spectrum in each small region of the spectrum. In [21], the author concludes that a better fit of $\hat{P}(\omega)$ to $P(\omega)$ will be obtained at frequencies where $P(\omega)$ is larger than $\hat{P}(\omega)$, than at frequencies where $P(\omega)$ is smaller. Thus, for harmonic signals the peaks will be better approximated than the area in between the harmonics.
It is now seen that the AR-method and the FC approach are related, since in the latter method, the periodogram is summarized in four frequency bands where for the AR-model approach a selection of frequency bands is unnecessary since the power spectrum is modelled directly.

Figure 4 shows the periodogram of the zero-order MFCC of the piano note $A 5$ corresponding to the frequency 880 Hz recorded over a duration of 1.2 seconds as well as the ARmodel approximation for four different model orders, 3, 5, 9 and 31. The hop-size of the MFCCs were 7.5 ms corresponding to a samplerate of 133.33 Hz . As expected, the model power spectrum becomes more detailed as the model order increases.

## B. Multivariate autoregressive model (MAR)

In order to include both temporal and among feature correlations the multivariate AR model with full matrices is applied instead of only considering the diagonal of the matrices as in the DAR model. A full treatment of the MAR models are given in [22] and [23].
For a stationary time series of state vectors $\mathbf{x}_{n}$ the general multivariate AR model is defined by

$$
\begin{equation*}
\mathbf{x}_{n}=\sum_{p=1}^{P} \mathbf{A}_{p} \mathbf{x}_{n-I(p)}+\mathbf{u}_{n} \tag{16}
\end{equation*}
$$

where the noise term $\mathbf{u}_{n}$ is assumed i.i.d. with mean $\mathbf{v}$ and finite covariance matrix $\mathbf{C}$. The above formulation is quite general since $I$ refers to a general set. E.g. for a model order of 3 , the set could be selected as $I=\{1,2,3\}$ or as $I=$
$\{2,4,8\}$ indicating that $\mathbf{x}_{n}$ is predicted from these previous state vectors. Note that the mean value of the noise process $\mathbf{v}$ is related to the mean $\mathbf{m}$ of the time series by $\mathbf{m}=(\mathbf{I}-$ $\left.\sum_{p=1}^{P} \mathbf{A}_{p}\right)^{-1} \mathbf{v}$.
The matrices $\mathbf{A}_{p}$ for $p=1, \ldots, P$ are the coefficient matrices of the $P$ 'th order multivariate autoregressive model. They encode how much of the previous information in $\left\{\mathbf{x}_{n-I(1)}, \mathbf{x}_{n-I(2)}, \ldots, \mathbf{x}_{n-I(P)}\right\}$ is present in $\mathbf{x}_{n}$. In this work the usual form of the multivariate AR model have been used, hence, $I=\{1,2, \ldots, P\}$.

A frequency interpretation of the multivariate autoregressive model can, as for the univariate case, be established for the multivariate case. The main difference is that all cross spectra are modelled by the MAR model. In e.g. [24], a frequency domain approach is used for explaining the multivariate autoregressive model by introducing the 'autocovariance function', which contains all cross covariances for the multivariate case. The power spectral matrix can be defined from the autocovariance function as

$$
\begin{equation*}
\mathbf{f}(\omega)=\sum_{h=-W_{s}+1}^{W_{s}-1} \boldsymbol{\Gamma}(h) e^{-i h \omega}, \tag{17}
\end{equation*}
$$

where the autocovariance function $\boldsymbol{\Gamma}(h)$ is a positive function and fulfills $\sum_{h=-\infty}^{\infty}\|\boldsymbol{\Gamma}(h)\|_{2}<\infty$, under stationarity.

As with the DAR model the ordinary least squares approach has been used in estimating the parameters of the MAR model, see e.g. [22] for detailed explanation of parameter estimation.
The parameters which are extracted from the least squares approach for both the DAR and MAR models are the ARmatrices: $\left\{\mathbf{A}_{1}, \ldots, \mathbf{A}_{P}\right\}$, the intercept term $\mathbf{v}$ and the noise covariance $\mathbf{C}$. The temporal feature integrated vector of window $k$ then becomes

$$
\begin{equation*}
\mathbf{z}_{k}=\left[\operatorname{vec}\left(\mathbf{B}_{k}\right)^{T} \mathbf{v}_{k}^{T} \operatorname{vech}\left(\mathbf{C}_{k}\right)^{T}\right]^{T} \tag{18}
\end{equation*}
$$

where $\mathbf{B}=\left[\mathbf{A}_{1}, \mathbf{A}_{2}, \ldots, \mathbf{A}_{P}\right]$ is of dimension $D \times P D$ and $\mathbf{z}_{k}$ of dimension $(P+1 / 2) D^{2}+(3 / 2) D$. Note that for the DAR model, only the diagonals of the $\mathbf{A}_{p}$ and $\mathbf{C}$ matrices are used.

## C. Issues on stability

Until now we have assumed that the time-series under investigation is stationary over the given window. The window-size, however, is optimized to the given learning problem which means that we are not guaranteed that the time-series is stationary within each window. This could e.g. be in transitions from silence to audio, where the time-series might locally look non-stationary. In some applications, this is not a problem, since reasonable parameter estimates are obtained anyhow. In the considered music genre setup, the classifier seems to handle the non-stationary estimates reasonably. In other areas of MIR, the power-spectrum estimate provided through the AR-model might be more critical, hence, in such cases it would be relevant to investigate the influence of non-stationary windows.

## D. Selection of optimal length

There exists multiple order selection criteria. Examples are BIC (Bayesian Information Criterion) and AIC (Akaike Information Criterion), see e.g. [23]. The order selection methods are traditionally applied to a single time series, however, in the music genre setup, we are interested in finding a single optimal model order for a large set of time-series. Additionally, there is a tradeoff between model order and the dimensionality of the feature space and, hence, problems with overfitting of the subsequent classifier, see Figure 1, Section I. Therefore, the optimal order of the time-series alone is normally not the same as the optimal order determined for the complete system.

## E. Complexity considerations

TABLE I
COMPUTATIONAL COMPLEXITY OF ALGORITHMS OF A WINDOW OF SHORT-TIME FEATURES

| METHOD | MULTIPLICATIONS \& ADDITIONS |
| :---: | :---: |
| MeanVar | $4 D W_{s}$ |
| MeanCov | $(D+3) D W_{s}$ |
| FC | $\left(4 \log _{2}\left(W_{s}\right)+3\right) D W_{s}$ |
| DAR | $\frac{D}{3}(P+1)^{3}+((P+6)(P+1)+3) D W_{s}$ |
| MAR | $\frac{1}{3}(P D+1)^{3}+$ |
|  | $\left(\left(P+4+\frac{2}{D}\right)(P D+1)+(D+2)\right) D W_{s}$ |

Table I shows the complete number of multiplications and additions for a window of all the examined temporal feature integration methods. The column "multiplications \& additions" shows the number of calculated multiplications / additions of the particular method. $D$ is the dimensionality of the feature space, $P$ is the DAR/MAR model order, and $W_{s}$ is the window-size in number of short-time feature samples. In the calculations the effect of overlapping windows have not been exploited. Table II shows the computational complexity of our actual music genre setup. The complexities are scaled according to the MeanVar calculation.

## IV. EXPERIMENTS

Simulations were designed to compare the baseline MeanVar features with the newly proposed DAR and MAR features. Additionally, the FC features and MeanCov features were included in the comparisons. The FC features performed very well in [8] and the MeanCov features were included for the sake of completeness.

The features were tested on two different data sets and four different classifiers to make the conclusions generalizable. In all of the experiments, 10 -fold cross-validation was used to estimate the mean and standard deviation of the mean classification test accuracy, which was used as the

TABLE II
COMPUTATIONAL COMPLEXITY OF THE MUSIC GENRE SETUP USING THE OPTIMIZED VALUES FROM THE EXPERIMENTAL SECTION, HENCE $P=3$, $D=6$ and $W_{s}=188,268,322,295,162$ For the MEanVar,
Meancov, FC, DAR and MAR, Respectively. Note that the complexity values are normalized such that the MeanVar has COMPLEXITY 1.

| Model | Complexity relative to <br> \& the MeanVar |
| :---: | :---: |
| MeanCov | 3.2 |
| FC | 15.6 |
| DAR | 27.2 |
| MAR | 32.2 |

performance measure. Figure 1 in Section I illustrates the complete classification system. The optimization of the system follows the data stream which means that the MFCC features were optimized first (choosing number of coefficients to use, whether to use normalization etc.). Afterwards, the temporal feature integration part was optimized and so forth.

## A. Preliminary investigations

Several investigations of preprocessing both before and after the temporal feature integration were made. Dimensionality reduction of the high-dimensional MAR and DAR features by PCA did not prove beneficial ${ }^{2}$, and neither did whitening (making the feature vector representation zero-mean and unit covariance matrix) or normalization (making each feature component zero-mean and unit variance individually) for any of the features. To avoid numerical problems, however, they were all normalized. Preprocessing, in terms of normalization of the short-time MFCC features did not seem to have an effect either.

## B. Features

To ensure a fair comparison between the features, their optimal hop- and window-sizes were examined individually, since especially window-size seems important with respect to classification accuracy. An example of its importance is illustrated in Figure 5.

For the short-time MFCC features the first 6 coefficients (including the zero-order MFCC) where found to be adequate for the experiments on the two datasets. The optimal hop- and frame-size were found to be 7.5 ms and 15 ms , respectively. The optimal hop-size was 400 ms for the DAR, MAR, MeanVar and MeanCov features and 500 ms for the FC features. The window-sizes were 1200 ms for the MAR features, 2200 ms for the DAR features, 1400 ms for the MeanVar, 2000 ms for the MeanCov and 2400 ms for the FC features.

An important parameter in the DAR and MAR feature models is the model order parameter $P$. The optimal values for this parameter were found to be 5 and 3 for the DAR and MAR features, respectively. This optimization was based on

[^2]

Fig. 5. Classification test accuracy is plotted against window-size for the MAR features using the LM and GLM classifiers. The hop-size was 200 ms in these experiments and data set B, section IV-D, was used. The error-bars denote the standard deviation on the mean value. The importance of the window-size is clearly seen. The baseline classification accuracy by random guessing is $\sim 9.1 \%$.
the large data set B, see Section IV-D. Using these parameters, the resulting dimensions of the feature spaces become: MAR -135 , DAR - 42, FC - 24 , MeanCov - 27 and MeanVar - 12.

## C. Classification and Post-processing

Several classifiers have been tested such as a linear model trained by minimizing least squares error (LM), Gaussian classifier with full covariance matrix (GC), Gaussian mixture model (GMM) classifier with full covariance matrices and a Generalized Linear Model (GLM) classifier [25]. The LM and GLM classifiers are robust and have been used in all of the initial feature investigations.
The LM classifier is a linear regression classifier, but has the advantage of being fast and non-iterative; the training essentially amounts to finding the pseudo-inverse of the featurematrix. The GLM classifier is the extension of a logistic regression classifier to more than two classes. It can also be seen as an extension of the LM classifier, but with inclusion of a regularisation term (prior) on the weights and a cross-entropy error measure to account for the discrete classes. They are both discriminative, which could explain their robust behavior in the fairly high-dimensional feature space. 10 -fold cross validation was used to set the prior of the GLM classifier.

1) Post-processing: Majority voting and the sum-rule were examined to integrate the $c$ classifier outputs of all the windows into 30 s (the size of the song clips). Whereas majority voting counts the hard decisions $\arg \max _{c} P\left(c \mid \mathbf{z}_{k}\right)$ for $k=1, \ldots, K$ of the classifier outputs, the sum-rule sums over the "soft" probability densities $P\left(c \mid \mathbf{z}_{k}\right)$ for $k=1, \ldots, K$. The sum-rule was found to perform slightly better than majority voting.

## D. Data sets

Two data sets have been used in this investigation. Both of the data sets have been described in more detail in [26] and [27].

The first data set, denoted "data set A" consists of 100 sound clips distributed evenly among the 5 music genres: Rock, Classical, Pop, Jazz and Techno. Each of the 100 sound clips, of length 30 s ., are recorded in mono PCM format at a sampling frequency of 22050 Hz .

The second data set denoted "data set B" consists of 1210 music snippets distributed evenly among the 11 music genres: Alternative, Country, Easy Listening, Electronica, Jazz, Latin, Pop\&Dance, Rap\&HipHop, R\&B Soul, Reggae and Rock. Each of the sound clips, of length 30 s., are encoded in the MPEG1-layer 3 format with a bit-rate of $128 \mathrm{~kb} / \mathrm{s}$. The sound clips were converted to mono PCM format with a sampling frequency of 22050 Hz prior to processing.

## E. Human evaluation

The level of performance in the music genre setups using various algorithms and methods only shows their relative differences. However, by estimating the human performance on the same data sets the quality of automated genre classification systems can be assessed.
Listening tests have been conducted on both the small data set (A) and the larger data set (B). At first, subsets of the full databases were picked randomly with an equal amount from each genre ( 25 of 100 and 220 of 1210) and these subsets are believed to represent the full databases. A group of people (22 specialists and non-specialists) were kindly asked to listen to 30 different sound clips of length 10 s from data set $\mathrm{A}^{3}$ and classify each sound clip into one of the genres on a forcedchoice basis. A similar setup was used for the larger data set B, but now 25 persons were asked to classify 33 sound clips of length $30 \mathrm{~s}^{4}$. No prior information except the genre names were given to the test persons. The average human accuracy on data set A lies in a $95 \%$-confidence interval of $[0.97 ; 0.99]$, and for data set B it is $[0.54 ; 0.61]$. Another interesting measure is the confusion between genres which has been compared to the automated music system in Figure 7.

## F. Results and discussion

The main classification results are illustrated in Figure 6 for both the small and the large data set. The figures compares the cross-validated classification test accuracies of the FC and MeanCov features and the baseline MeanVar with the newly proposed DAR and MAR features. It is difficult to see much difference in performance between the features for the small data set A (see Figure 6(a)), but note that it was created to have only slightly overlapping genres which could explain why all the features perform so well compared to the random guess of only $20 \%$ accuracy. The classification test accuracies of the different methods are not to far from the average human classification accuracy of $98 \%$.

The results from the more difficult, large data set B are shown in Figure 6(b). Here, the MAR features are seen to

[^3]
(a) Experiment on data set A

(b) Experiment on data set B

Fig. 6. The figures show the music genre classification test accuracies for the GC, GMM, LM and GLM classifiers on the five different integrated features. The results for the small data set A is shown in the upper panel of the figure and the results for the larger data set B in the lower panel. The mean accuracy of 10 -fold cross-validation is shown along with error bars, which are one standard deviation of the mean to each side. $95 \%$ binomial confidence intervals have been shown for the human accuracy.
clearly outperform the conventional MeanVar features when the LM or GLM classifiers are used. Similarly, they outperform the MeanCov and DAR features. The DAR features only performed slightly better than the three reference features, but in a feature space of much lower dimensionality than the MAR features. The GMM classifier is the best for the low-dimensional MeanVar features, but gradually loses to the discriminative classifiers as the feature space dimensionality rises. This overfitting problem was obviously worst for the 135-dimensional MAR features and dimensionality reduction was necessary. However, a PCA subspace projection was not able to capture enough information to make the GMM classifier competitive for the MAR features. Improved accuracy of the GMM classifier on the MAR features was achieved by projecting the features into a subspace spanned by the
$c-1$ weight directions of the partial least squares (PLS) [28], where $c$ refers to the no. of genres. The classification accuracy, however, did not exceed the accuracy of the GLM classifier on the MAR features.
The MAR features are still around $9 \%$ from the average human classification test accuracy of approximately $57 \%$, however, it should be noted that only the initial 6 MFCCs were used. Furthermore, it should be noticed that random classification accuracy is only $9 \%$.
The cross-validation paired t-test [29] was made on both data sets to test whether the best performances of the DAR and MAR features differed significantly from the best performances of the other features. Comparing the MAR features against the other four features gave t -statistics estimates all above 3.90 ; well above the 0.975 percentile critical value of $t_{9,0.975}=2.26$ for 10 -fold cross-validation. Thus, the null hypothesis of similar performance can be rejected. The comparison between the DAR features and the three reference features gave t -statistics estimates of 2.67 and 2.83 for the FC and MeanVar features, but only 1.56 for the MeanCov features which means that the null hypothesis cannot be rejected for the MeanCov.

As described in Section IV-B, the window-sizes were carefully investigated and the best results were found using window-sizes in the range of 1200 ms to 2400 ms , followed by the sum-rule on the classifier decisions up to 30 s. However, in e.g. music retrieval and regarding computational speed and storage, it would be advantageous to model the whole 30 s music snippet with a single feature vector. This approach have been followed by several authors, see e.g. [30], [31]. In [31], primarily models with no closed form solution of the parameters have been investigated ${ }^{5}$.

Hence, experiments were made with the MAR features with a window-size of 30 s, i.e. modelling the sound snippet with a single MAR model. The best mean cross-validated classification test accuracies on data set B were $44 \%$ and $40 \%$ for the LM and GLM classifiers, respectively, using a MAR model order of 3 . In our view, this indicates that these MAR features could be used with success in e.g. song similarity tasks. Additional experiments with a Support Vector Machine (SVM) classifier [32] using a RBF type of kernel even improved the accuracy to $46 \%$. The SVM classifier was used since it is less prone to overfitting. This is especially important when each song is represented by a single feature vector, which means that our training set only consists of $11 \cdot 99=1089$ samples in each cross-validation run.
Besides the classification test accuracy, an interesting measure of performance is the confusion matrix. Figure 7 illustrates the confusion matrix of the MAR system with highest classification test accuracy and shows the relation to the human genre confusion matrix on the large data set. It is worth noting that the three genres that humans classify correctly most often, i.e., Country, Rap\&HipHop and Reggae, are also the three genres that our classification system typically classifies correctly. To get an insight in the confusion among the different genres, dendrograms were created from the confusion

[^4]

Fig. 7. The above confusion matrices were created from data set B. The upper figure shows the confusion matrix from evaluations of the 25 people, and the lower figure shows the average of the confusion matrices over the 10 cross-validation runs of the best performing combination (MAR features with the GLM classifier). The "true" genres are shown as the rows, which each sum to $100 \%$. The predicted genres are then represented in the columns. The diagonal illustrates the accuracy of each genre separately.
matrices in Figure 7. The dendrogram of the human and MAR confusion matrices have been illustrated in Figure 8(a) and 8(b), respectively. The confusion matrices were symmeterized before creating the dendrograms. Furthermore, a scaled exponential distance measure were applied for creation of the 5 -cluster dendrograms. Different distance measures were investigated, however, no big differences were observed in the resulting clusters. The dendrograms illustrate that the larger clusters of the human and MAR confusion matrices shares the music genres: Alternative, Pop\&Dance, Rb\&Soul and Rock. Furthermore, the MAR model with a GLM classifier tend to confuse Rap\&Hiphop and Reggae more than humans do.
A small scale analysis was conducted to test the robustness of the MAR-model to MP3 encoding. The best performing setup for data set A, which was a MAR model with a LM classifier was investigated. Each music snippet was encoded to $128,64,32$ and $16 \mathrm{~kb} / \mathrm{s}$, respectively, using the LAME version 3.96.1 encoder. Similarily, the music snippets were decoded using the LAME decoder prior to

(a) Dendrogram created from the human confusion matrix

(b) Dendrogram created from MAR confusion matrix

Fig. 8. Dendrograms illustrating the groupings of genres determined from the confusion matrices in Figure 7.
the MFCC extraction stage. The different music snippets were resampled to 16 kHz when extracting the MFCCs, to ensure a common ground for comparison. The classification test accuracy was assessed with 10 -fold cross-validation. In each fold, the training set consisted of the PCM samples and test accuracies were obtained from the different MP3 encodings and the PCM encoding. The mean cross-validation test accuracies obtained have been illustrated in table III.

TABLE III
MEAN CROSS-VALIDATION TEST ACCURACIES OF THE LM CLASSIFIER ON the MAR features on Data set A using different MP3 encoding rates. Training have been performed with the raw PCM SAMPLES.

| Encoding | Mean test accuracy $\pm$ <br> Std. deviation of the mean |
| :---: | :---: |
|  |  |
| PCM | $93.3 \% \pm 1.8$ |
| $128 \mathrm{~kb} / \mathrm{s}$ | $92.2 \% \pm 2.4$ |
| $64 \mathrm{~kb} / \mathrm{s}$ | $91.1 \% \pm 2.2$ |
| $32 \mathrm{~kb} / \mathrm{s}$ | $94.4 \% \pm 1.8$ |
| $16 \mathrm{~kb} / \mathrm{s}$ | $28.9 \% \pm 4.7$ |

The combination of a MAR model and LM classifier is robust in the given setup to encodings of $32 \mathrm{~kb} / \mathrm{s}$ and above. It should be noticed, however, that since we are modelling the short-time features, the robustness of the complete system is dictated by the robustness of the short-time features towards the different encoding schemes. Still the investigation indicate that the MAR features are not over-sensitive to small changes in the short-time features.

## V. Conclusion

In this paper, we have investigated temporal feature integration of short-time features in a music genre classification task and a novel multivariate autoregressive feature integration scheme was proposed to incorporate dependencies among the feature dimensions and correlations in the temporal domain. This scheme gave rise to two new features, the diagonal AR (DAR) and multivariate AR (MAR), which were carefully described and compared to features from existing temporal feature integration schemes. They were tested on two different data sets with four different classifiers and the successful MFCC features were used as the short-time feature representation. The framework is generalizable to other types of short-time features. Especially the MAR features were found to perform significantly better than existing features, but also the DAR features performed better than the FC and baseline MeanVar features on the large data set and in a much lower dimensional feature space than the MAR. Furthermore, it was illustrated that the MAR features are robust towards MP3 encoding for bitrates of $32 \mathrm{~kb} / \mathrm{s}$ and above.

Human genre classification experiments were made on both data sets and we found that the mean human test accuracy was less than $18 \%$ better relative to the best performing MAR features approach on the 11 music genre dataset.

Possible directions for future research include investigation of other types of indexes for the general multivariate AR formulation, hence, allowing a more flexible modelling of short-time features at larger time scales.

As a closing remark it should be noticed that the considered framework of temporal feature integration is open to other areas of music information retrieval (MIR).

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Anders Meng received the M.Sc. and Ph.D. degrees in applied mathematics from the Technical University of Denmark (DTU) in 2003 and 2006. His thesis was entitled "Temporal Feature Integration for Music Organization". Between 1999 and 2001, he worked as a research assistant in a leading company within mobile communication. Anders Meng is currently working at DTU as an innovative PostDoc. His current research interests include machine learning, audio signal processing and the combination of the latter in large scale webmining.


Peter Ahrendt received his M.Sc. degree from University of Southern Denmark in 2001 with specialization in applied mathematics and physics. In 2006, he received his Ph.D. degree from Technical University of Denmark with the thesis '"Music Genre Classification Systems : A Computational Approach". Between 2001 and 2002, he worked as research scientist in a major pharmaceutical company and is currently employed in the hearing aid industry. His current research interests include machine learning, audio signal processing as well as areas related to the human perception of sound.


Jan Larsen received the M.Sc. and Ph.D. degrees in electrical engineering from the Technical University of Denmark (DTU) in 1989 and 1994. Dr. Larsen is currently Associate Professor of Digital Signal Processing at Informatics and Mathematical Modelling, DTU. Jan Larsen has authored and co-authored around 100 papers and book chapters within the areas of nonlinear statistical signal processing, machine learning, neural networks and datamining with applications to biomedicine, monitoring systems, multimedia, and webmining.
He has participated in several national and international research programs, and has served as reviewer for many international journals, conferences, publishing companies and research funding organizations. Further he took part in conference organizations, among others, the IEEE Workshop on Machine Learning for Signal Processing (formerly Neural Networks for Signal Processing) 1999-2006. Currently he is chair of the IEEE Machine Learning for Signal Processing Technical Committee of the IEEE Signal Processing Society, and chair of IEEE Denmark Section's Signal Processing Chapter. He is a senior member of The Institute of Electrical and Electronics Engineers. Editorial Board Member of Signal Processing, Elsevier, 2006-2009. Guest editorships involves IEEE Transactions on Neural Networks, Journal of VLSI Signal Processing Systems, and Neurocomputing.


Lars Kai Hansen is professor of digital signal processing at the Technical University of Denmark. He is head of the THOR Center for Neuroinformatics and leader of the project www. intelligentsound.org. His research concerns adaptive signal processing and machine learning with applications in bio-medicine and digital media.


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[^1]:    ${ }^{1}$ In the speech community this is known as a linear predictive coding (LPC) model, however, here applied to a sequence of short-time features instead of the raw sound signal.

[^2]:    ${ }^{2}$ This is only true for the standard GLM and LM classifiers, that does not have significant overfitting problems.

[^3]:    ${ }^{3}$ These sound clips have been created by splitting each 30 s sound clip into 5 overlapping sound clips of 10 seconds. This results in 125 sound clips of 10 s .
    ${ }^{4}$ Hence, 33 songs from the subset of 220 were picked at random for each test person

[^4]:    ${ }^{5}$ Gaussian mixture models and hidden Markov models (HMM).

