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02405 Probability

2003-11-11

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a sum of  $\sum_{i=1}^n r_i$  exponential( $\lambda$ ) random variables. The sum is gamma( $\sum_{i=1}^n r_i, \lambda$ ) distributed.