IMM - DTU
02405 Probability
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Question a) Let the coordinates of shot $i$ be denoted by $\left(X_{i}, Y_{i}\right)$. The difference between two shots ( $X_{2}-X_{1}, Y_{2}-Y_{1}$ ) is two independent normally distributed random variables with mean 0 and variance 2.

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Question b) We have $E\left(D^{2}\right)=4$

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Question b) We have $E\left(D^{2}\right)=4$ thus $\operatorname{Var}(D)=4-\pi$.

