IMM - DTU

02405 Probability
2003-11-2
BFN/bfn

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can be solved this way using E.4.6.3, I am looking for a shortcut before finishing the solution. However 4.6.3 is scheduled two weeks before this one.