IMM - DTU

02405 Probability
2003-10-2
BFN/bfn

Question a) Markov's inequality

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we have $k = 5$ such that the probability is bounded by $\frac{1}{25}$. The bound provided by Chebychevs inequality is much sharper than the one provided by Markov's inequality.